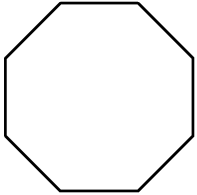




Name: \_\_\_\_\_ Period: \_\_\_\_\_

## FINDING AREA of REGULAR POLYGONS—Let's get it on!

The UFC's cage is the shape of a **regular Octagon**. This is a figure with \_\_\_\_\_

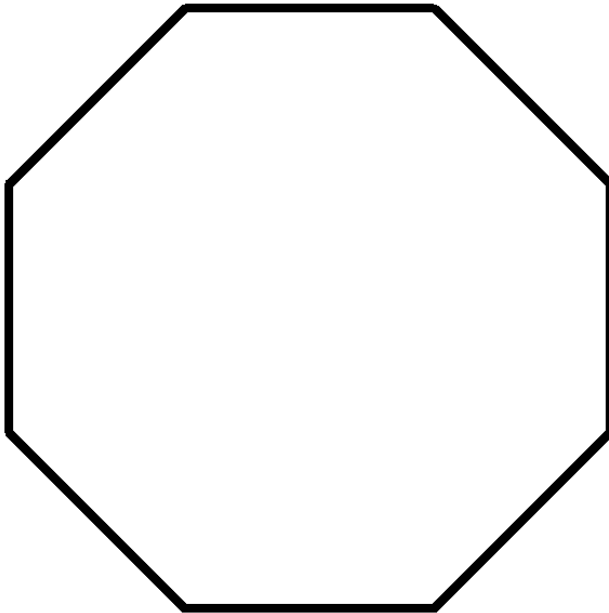


Each side of the cage is made up of a steel fence that is 12.5' wide. Let's sketch this in.

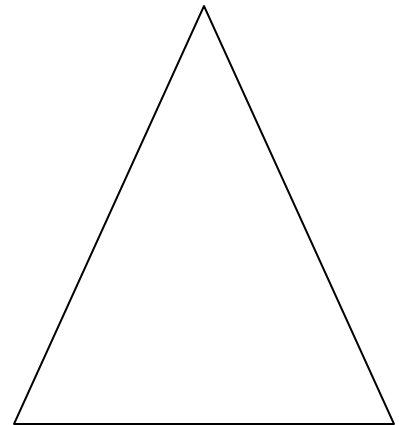
The **Perimeter** of this Octagon would therefore be \_\_\_\_\_.

The UFC needs to order a new canvas (mat) for their Octagonal Cage! We need to know what the **AREA** is—in square feet—of this Octagon!

So, let's break this octagon into **triangles**, since we know how to deal with them already!



Close-up of just 1 triangle



We need to know the **Angles** of the triangle to do our job. We can find these two ways:

Central Angle 360° Method

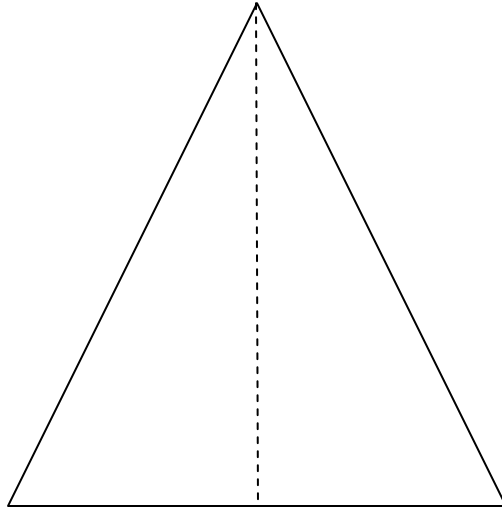
Interior Angle Theorem Method



Name: \_\_\_\_\_ Period: \_\_\_\_\_

### FINDING AREA of REGULAR POLYGONS—Let's get it on!

Now, let's find the Area of one Triangle. We got good at this last week 😊



$$\text{AREA} = \frac{1}{2} * \frac{\text{Base}}{\text{Base}} * \frac{\text{Height}}{\text{Height}} = \underline{\hspace{4cm}}$$

Lastly, Remember that this area of \_\_\_\_\_ is for just \_\_\_\_\_.

However, the OCTAGON is made up of \_\_\_\_\_ of these triangles, so we have to

\_\_\_\_\_ to get the FINAL ANSWER of \_\_\_\_\_.

Now, IT'S TIME for your assignment! Let's get it on!